

## 3IB Physics. Hand in Jan. 2009 TM – *Answers*

1. M05 TZ1 S1, H1: 1 - C
2. M05 TZ1 S1:3, H1: 2 – B
3. M05 TZ1 H1: 17 – B
4. M05 TZ1 S1:4 – A (speed?, not velocity?. Anyway wrong sign on  $u$  on graph)
5. M05 TZ1 H1: 8 – A
6. M05 TZ1 H1: 4 – B
7. M05 TZ1 S1:24 – D
8. M05 TZ1 S1:9 – A ( $R_a > R_c > R_s$ ,  $F_s = ma + mg$ )
9. M05 TZ1 S1:16 – A ( $Q = Lm$ , if  $Q$  fixed, then greater  $L$  implies smaller evaporated  $m$ )
10. M05 TZ1 S1:10 – B
11. M05 TZ1 S1:28 – D
12. M05 TZ1 S1:23, H1: 29 – D
13. M05 TZ1 H1:34 – D
14. M05 TZ1 S1:26 – C (tilting a little down, pointing towards the Earth north pole which is a magnetic south pole)
15. M05 TZ1 S1:30, H1: 36 – A ( $E_b$  negative and decreasing, that is increasing in magnitude)

M05 TZ1 H2: A4

*Answers will be open-ended but look for these main points.*

*Observation I:*

energy is needed to eject the electrons from the surface;  
according to the wave model, the energy of a wave depends on its amplitude / intensity;  
so one would expect emission to depend on intensity not frequency;

*Observation II:*

according to the wave model, energy is delivered continuously to the surface;  
so with a very low intensity wave;  
one would expect the electrons to need a certain amount of time to gain sufficient energy to leave the surface.

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M05 TZ1 S2:B2p1, H2: B1p1

- (a) if the total external force acting upon a system is zero / for an isolated system;  
the momentum of the system is constant;  
*Award [1 max] if the answer is in terms of collisions.*

- (b) 131 g of xenon contains  $6.02 \times 10^{23} / N_A$  atoms;

$$\text{mass of 1 atom} = \frac{131}{6.02 \times 10^{23}} = 2.2 \times 10^{-22} \text{ g} = 2.2 \times 10^{-25} \text{ kg};$$

*or*

$$\text{mass of nucleon } 1.66 \times 10^{-27} \text{ kg};$$

$$\text{mass of xenon atom} = 131 \times 1.66 \times 10^{-27} \text{ kg} = 2.2 \times 10^{-25} \text{ kg};$$

- (c) time =  $1.5 \times 3.2 \times 10^7 = 4.8 \times 10^7 \text{ s};$

$$\text{no of atoms per second} = \frac{81}{2.2 \times 10^{-25} \times 4.8 \times 10^7} = 7.7 \times 10^{18} \text{ s}^{-1};$$

*or*

$$\text{no of atoms in original mass} = \frac{81}{2.2 \times 10^{-25}} = 3.7 \times 10^{26};$$

$$\text{time} = \frac{3.7 \times 10^{26}}{7.7 \times 10^{18}} = 4.8 \times 10^7 \text{ s} = 1.5 \text{ years};$$

- (d) rate of change of momentum of the xenon atoms

$$= 7.7 \times 10^{18} \times 2.2 \times 10^{-25} \times 3.0 \times 10^4;$$

$$= 5.1 \times 10^{-2} \text{ N};$$

= mass  $\times$  acceleration;

$$\text{where mass} = (540 + 81) \text{ kg};$$

$$\text{to give acceleration of spaceship} = \frac{5.1 \times 10^{-2}}{6.2 \times 10^2};$$

$$= (8.2 \times 10^{-5} \text{ m s}^{-2})$$

*Accept if mass of fuel omitted ( $= 9.4 \times 10^{-5} \text{ m s}^{-2}$ ).*

- (e)  $a = \frac{F}{m};$

since  $m$  is decreasing with time, then  $a$  will be increasing with time;

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- (f) change in speed = area under graph;  
 $= (8.2 \times 4.8) \times 10^2 + \frac{1}{2}(4.8 \times 1.3) \times 10^2$ ;  
final speed  $= (8.2 \times 4.8) \times 10^2 + \frac{1}{2}(4.8 \times 1.3) \times 10^2 + 1.2 \times 10^3$ ;  
 $5.4 \times 10^3 \text{ m s}^{-1}$ ;  
*or*  
use of  $v = u + at$   
 $u = 1.2 \times 10^3 \text{ m s}^{-1}$ ;  
average acceleration from the graph  $= \frac{1}{2}(8.2 + 9.45) \times 10^{-5}$ ;  
 $= 8.8 \times 10^{-5} \text{ m s}^{-2}$ ;  
final speed  $= 4.8 \times 10^7 \times 8.8 \times 10^{-5} + 1.2 \times 10^3 = 5.4 \times 10^3 \text{ m s}^{-1}$ ;
- (g)  $t = \frac{s}{v} = \frac{4.7 \times 10^{11}}{5.4 \times 10^3} = 8.7 \times 10^7 \text{ s}$ ;  
so total time  $4.8 \times 10^7 + 8.7 \times 10^7 \text{ s} \approx 4.2 \text{ y}$ ;

***The reminder of these answers is HL only***

(The original numbering in the questions was wrong: all "M04" should be substituted by "M05")

- 18. M05 TZ1 S1:17, H1:18 – D
- 19. M05 TZ1 H1:10 – A
- 20. M05 TZ1 H1:12 – C
- 21. M05 TZ1 H1:14 – B
- 22. M05 TZ1 H1:32 – B
- 23. M05 TZ1 H1:19 – PQ only
- 24. M05 TZ1 H1:20 – D
- 25. M05 TZ1 H1:23 – B (only those with antinode in the center)
- 26. M05 TZ1 H1:31 – D

27. M05 TZ1 H2:B4p1

- (a) momentum of object =  $2 \times 10^3 \times 6.0$  ;  
 momentum after collision =  $2.4 \times 10^3 \times v$  ;  
 use conservation of momentum,  $2 \times 10^3 \times 6.0 = 2.4 \times 10^3 \times v$  ;  
 to get  $v = 5.0 \text{ m s}^{-1}$  ;  
*Award [2 max] for mass after collision = 400 kg and  $v = 30 \text{ m s}^{-1}$  .*

- (b) KE of object and bar + change in PE =  $1.2 \times 10^3 \times 25 + 2.4 \times 10^3 \times 10 \times 0.75$  ;  
 use  $\Delta E = Fd$ ,  $4.8 \times 10^4 = F \times 0.75$  ;  
 to give  $F = 64 \text{ kN}$  ;  
*Award [2 max] if PE missed,  $F = 40 \text{ kN}$ .*

*or*

$$a = \frac{v^2}{2s}$$

$$F - mg = ma$$
 ;

to give  $F = 64 \text{ kN}$  ;

*Award [2 max] if mg missed.*

- (c) recognize that the height is given by  $mgh = \frac{1}{2}mv^2$ ;

$$\text{KE} = \frac{1}{2}mv^2 = \frac{1}{2} \times 2.0 \times 10^3 \times 36 = 3.6 \times 10^4 \text{ J};$$

$$t = \frac{E}{P};$$

$$= \frac{3.6 \times 10^4}{7.2 \times 10^3} = 5.0 \text{ s};$$

*or*

calculation of  $PE = mgh$  using  $v^2 = u^2 + 2as$

$$h = 1.8 \text{ m};$$

$$mgh = 2.0 \times 10^3 \times 10 \times 1.8;$$

$$t = \frac{E}{P};$$

$$= \frac{3.6 \times 10^4}{7.2 \times 10^3} = 5.0 \text{ s};$$

- (d) (i) a process in which there is no energy (heat) exchange;  
between system and surrounding;  
*or*  
all the work done;  
either increases or decreases the internal energy of the system;
- (ii) a process that takes place at constant volume;
- (iii) a process that takes place at constant pressure;

(e) (i) adiabatics:  $C \rightarrow D$ ,  $A \rightarrow B$ ;

(ii) isochoric:  $D \rightarrow A$ ;

(iii) isobaric:  $B \rightarrow C$ ;

(f) work done in one cycle;

(g)  $\frac{8400}{40} = 210 \text{ J};$

(h)  $Eff = \frac{W}{Q_H};$

therefore,  $Q_H = \frac{210}{0.4} = 525 \text{ J};$